3. [14 points] Kiki and her pet mouse Mimi (who is now the size of a small dog via size-change technology) like to go to the park and play frisbee. Suppose after $t$ minutes of playing frisbee at the park, Mimi's satisfaction level, in pleasits (a unit of satisfaction) is given by an exponential function $M(t)$ whose values are given in the table below.

| $t$ | 1 | 2 | 3 | 4 |
| :---: | :---: | :---: | :---: | :---: |
| $M(t)$ | $9 / 2$ |  |  | $32 / 3$ |

Express all answers for all parts of this problem in exact form.
a. [4 points] Find the growth factor for $M(t)$ and fill in the missing values of $M(t)$ in the table.

The growth factor for $M(t)$ is $\qquad$ .
b. [4 points] If Mimi never plays frisbee for more than 30 minutes, find the domain and range of $M(t)$.

The domain of $M(t)$ is $\qquad$ .

The range of $M(t)$ is $\qquad$ .
c. [3 points] Kiki's satisfaction level in pleasits, $Q(t), t$ minutes after she starts playing frisbee is an exponential function, $Q(t)=10 e^{0.02 t-2}$. Is $Q(t)$ an exponential growth function or an exponential decay function? Circle GROWTH or DECAY in the sentence below and state the continuous growth or decay rate either as a decimal or as a percentage.

The continuous GROWTH or DECAY rate is $\qquad$ .
d. [3 points] Find Kiki's satisfaction level when she first begins playing frisbee, and find the per minute (non-continuous) growth rate of her satisfaction level, $Q(t)$, either as a decimal or as a percentage.

Kiki's satisfaction level is $\qquad$ when she first begins playing.

The per minute growth rate of her satisfaction level is $\qquad$ .

