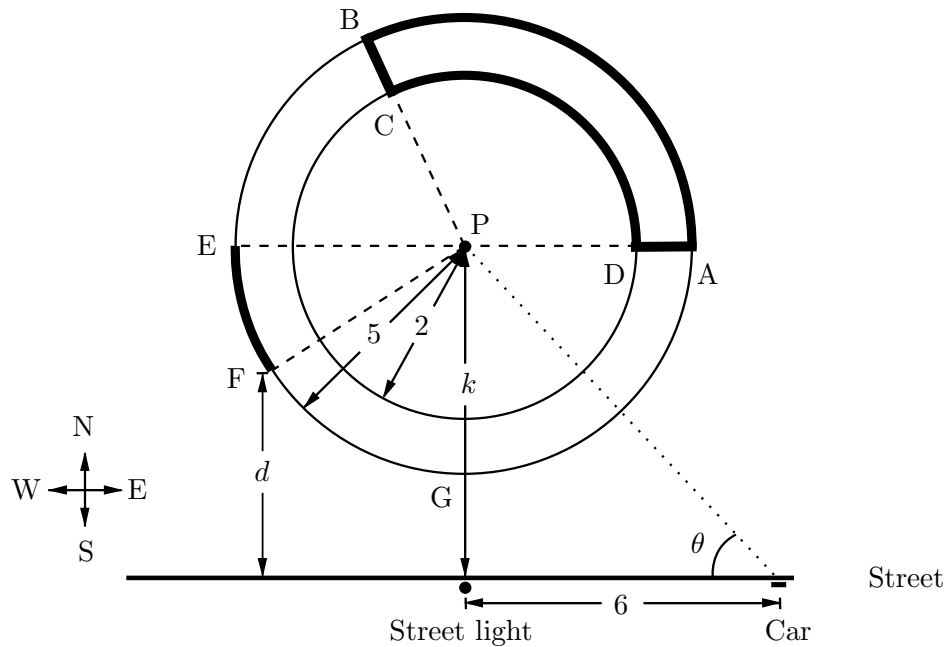


6. [9 points] At a park, there are two circular tracks that are centered at a common flagpole (at point P). The two tracks have radii 2 and 5 km respectively (see the figure below). A street that runs in the east-west direction is located k kilometers south of the flagpole.



- a. [4 points] Albert decides to run on the tracks starting at the point A on the east end of the longer track. He runs along the longer track counterclockwise until he reaches point B . Then he runs from point B towards the flagpole until point C on the shorter track. He continues clockwise along the shorter track until point D . From there, he runs east to point A (see the bolded path in the figure). If the distance Albert ran along the longer track between the points A and B is 7 km, what is the total distance he ran?

Answer: _____.

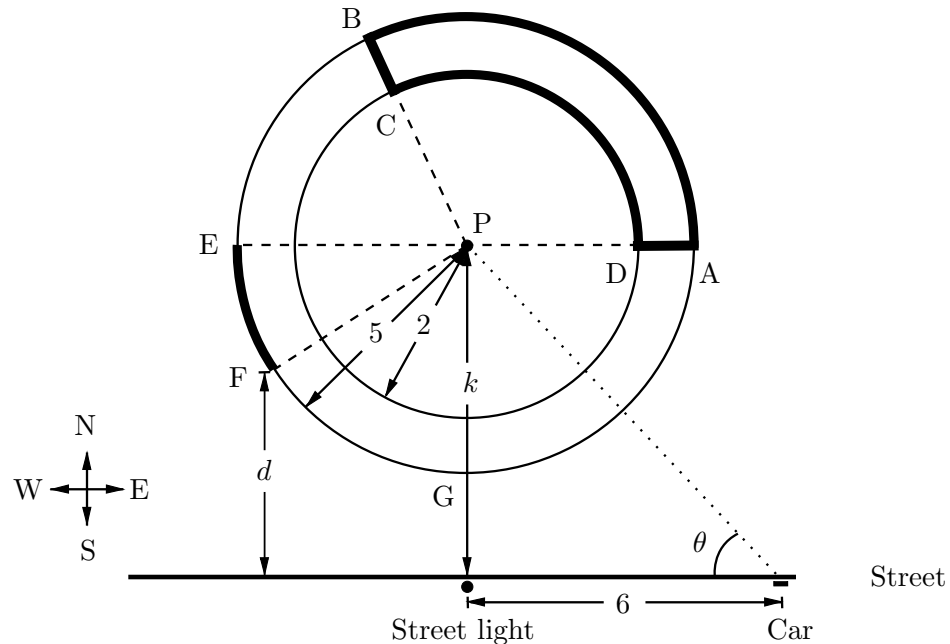
- b. [3 points] John starts running at point E , which is the furthest point directly west of the flagpole on the longer track. He plans to run on the track in the counterclockwise direction to the point G , which is directly south of the flagpole. He stops at point F which is a third of the way between point E and G on the track. What is John's distance d (in kilometers) to the street at this point? Your answer may depend on k .

$d =$ _____.

Problem continues on the next page

The statement of the problem is included here for your convenience.

At a park, there are two circular tracks that are centered at a common flagpole (at point P). The two tracks have radii 2 and 5 km respectively (see the figure below). A street that runs in the east-west direction is located k kilometers south of the flagpole.



- c. [2 points] Directly south of the flagpole, there is a street light on the street. A car is parked 6 km from the streetlight along the street, and the line connecting the car with the flagpole makes an angle θ with the street (see the figure). Find a formula for the distance k (in kilometers) between the flagpole and the street light in terms of θ .

$$k = \underline{\hspace{2cm}}.$$