4. [11 points]
a. [5 points] Suppose that $f(y)$ is odd and is periodic of period 8 with domain $(-\infty, \infty)$.

Some of its values are given in the table below.

| $y$ | 0 | 1 | 2 | 3 | 4 | 5 | 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $f(y)$ | $?$ | 1.3 | $?$ | -2.9 | $?$ | $?$ | 2.2 |

Find the following values of $f$. If it is not possible to find the value specified using the information given, write Not possible. You do not have to show any work for this problem.
(i) $f(0)=$ $\qquad$ 0
(ii) $f(-1)=$ $\qquad$
(iii) $f(2017)=$ $\qquad$
(iv) $f(2)=$ $\qquad$
(v) $f(4)=$ $\qquad$
b. [6 points] Suppose that $q(x)=3 e^{(x-5)^{2}}$ and $r(x)=e^{x^{2} / 4}$. List the transformations you need to apply to the graph of $y=r(x)$ to transform it to that of $y=q(x)$. Fill each space with either a number or one of the phrases below, as appropriate.

| Shift it | Shift it | Shift it | Shift it |
| :---: | :---: | :---: | :---: |
| HORIZONTALLY | HORIZONTALLY | VERTICALLY | VERTICALLY |
| TO THE RIGHT | TO THE LEFT | UPWARDS | DOWNWARDS |
| Compress it | Stretch it | Compress it | Stretch it |
| horizontally | horizontally | VErtically | vertical |

To get the graph of $y=q(x)$ starting with the graph of $y=r(x)$,
first, we $\qquad$ by $\qquad$ ,
and then we $\qquad$ by $\qquad$ 5 ,
and then we $\qquad$ by $\qquad$ .

## OR

first, we $\qquad$ by $\qquad$ _,
and then we $\qquad$ by $\qquad$ ,
and then we $\qquad$ by $\qquad$ .

