- **1.** [5 points] For each of the statements below, circle "**True**" if the statement is *definitely* true. Otherwise, circle "False". You do not need to show any work for this problem.
 - **a**. [1 point] If a function has more than one zero, then the function is not invertible.
 - True False **b.** [1 point] If x > 1, then $100x^{100000} > e^{0.0001x}$. True False **c.** [1 point] If $h(t) = \ln(t)$ then $h^{-1}(t) = \frac{1}{\ln(t)}$. True False **d**. [1 point] If a function is concave up, then the function is increasing. False True
 - e. [1 point] If f(x) and g(x) are both even functions, then the function f(g(x)) is also an even function.
- 2. [6 points] Solve each of the equations below. Show your work step-by-step and write the solutions in exact form in the answer blanks provided.

 $5e^{2t+7} = 3(4^t)$ **a**. [3 points]

> Solution: We first divide both sides of this equation by 5 to find $e^{2t+7} = 0.6(4^t)$. Then we use logarithms to find t. $1_{-1}(-2t+7) = 1_{-1}(0, c(4t))$

$$\begin{aligned} &\ln(e^{-t+1}) = \ln(0.6(4^{-t})) \\ &2t + 7 = \ln(0.6) + \ln(4^{t}) = \ln(0.6) + t\ln(4) \\ &2t - t\ln(4) = \ln(0.6) - 7 \\ &t(2 - \ln(4)) = \ln(0.6) - 7 \text{ so } t = \frac{\ln(0.6) - 7}{2 - \ln(4)} \end{aligned}$$

 $\ln(0.6) - 7$ $2 - \ln(4)$ Answer: t =

 $\log(w) + \log(w+3) = 1$ **b**. [3 points]

Solution: We apply a basic property of logarithms and then use the definition or the logarithm (or exponentiate) to solve for w.

> $\log(w) + \log(w+3) = 1$ $\log(w(w+3)) = 1$ $w(w+3) = 10^1$ $w^2 + 3w = 10$ $w^2 + 3w - 10 = 0$ (w-5)(w+2) = 0w = 5 or w = -2

However, note that w = -2 is not a solution to the original equation because -2 is not in the domain of $\log w$. Hence the only solution is w = 5.

> 5 Answer: $w = _$

False

True