- 2. [16 points] The five parts of this question are unrelated to each other.
 - a. [3 points] f(x) is a periodic function with domain $(-\infty, \infty)$, with a period of 5, with an amplitude of 2, and with midline y = -1. Find the amplitude, period and midline of g(x) = -7f(2(x-3)) + 1.

The period of g(x) is _____.

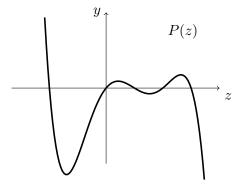
The amplitude of g(x) is _____.

The midline of g(x) is _____.

b. [2 points] Let a, b, c > 0 be positive constants. Evaluate the following limit. You do not need to show any work for this part.

$$\lim_{x \to \infty} \frac{(\sqrt{x} + 2)^6}{ax^3 + bx + c} = \underline{\hspace{1cm}}.$$

c. [3 points] The graph of a polynomial y = P(z) with its end behavior shown is graphed below. Answer the following questions about P(z).



Is the degree of P(z) even or odd?

even odd not possible to tell

Is the leading coefficient of P(z) positive or negative?

positive negative not possible to tell

What is the smallest possible degree of P(z)?

The smallest possible degree of P(z) is

2. (continued) Reminder: The parts of this question are unrelated to each other.

d. [3 points] The table below give some values of a function M(t) at different t-values.

t	0	3	5
M(t)	625	900	1296

What type of function could M(t) be? Circle all that apply.

linear exponential quadratic none of these

Could M(t) be proportional to t^2 ?

yes no

If you answered no, briefly explain why not, and if you answered yes, find the constant of proportionality.

e. [5 points] Consider the function, $H(t) = 3e^{1.2t-3}$, that gives the weight, in grams of a mealworm t days after it hatches. Find the weight of a mealworm when it hatches, find the daily (non-continuous) growth rate of H(t), and find the amount of time it takes for a mealworm to triple in weight, all in **exact form**, with **appropriate units**. Be sure to show **all** your work.

The weight when it hatches is ______.

The daily (not continuous) growth rate is . .

The time it takes to triple in weight is ______.