

1. In 1999, a population of deer (a type of large animal) was set free on a previously uninhabited island in Lake Superior, in an attempt to establish a permanent population of deer on the island. The population of deer grew over time. Population measurements were made each year, as shown in the following table:

Year	1999	2000	2001	2002
Population	20	23	27	31

Let  $P(t)$  be a function that gives the population of deer on the island as a function of time,  $t$ , measured in years since 1999.

- (a) (2 points) In the context of this problem, give a practical interpretation for  $P(40)$ .
- (b) (2 points) In the context of this problem, give a practical interpretation for  $P^{-1}(40)$ .
- (c) (3 points) Assume that the deer population at time  $t$  is represented by an exponential function  $P(t) = P_0 a^t$ . Find  $P_0$  and  $a$ , and express your answer as a function.
- (d) (2 points) According to your answer to part (c) what is the annual percent growth rate of the deer population?
- (e) (3 points) Use the table above to estimate  $(P^{-1})'(27)$ . Do not assume that the deer population is modeled by the formula from part (c).
- (f) (2 points) Give a practical interpretation in the context of this problem for  $(P^{-1})'(27)$ .