- 2. [14 points] Suppose p represents the price of a reuben sandwich at a certain restaurant on State St. R(p) represents the number of reubens the restaurant will sell in a day if they charge p per reuben.
  - **a**. [3 points] What does R(5.5) represent in the context of this situation?
  - **b.** [3 points] Assuming R is invertible, what does  $R^{-1}(305)$  represent?
  - c. [3 points] The owner of the restaurant also has a Church St location. It doesn't get quite as much business, and the owner finds that the State St store sells 35% more reubens than the Church St store sells at the same price. Let C(p) be the number of reubens the Church St location sells in a day at a price of \$p each. Write a formula for C(p) in terms of R(p).
  - d. [5 points] The owner starts doing research on reuben sales at the State St location; he wants to know how the number of reubens sold is related to the price. He finds that every time he raises the price by \$1 per reuben, the number sold in a day decreases by 20%. Let the constant *B* represent the number of reubens sold in a day at the State St store if the the price of reubens is \$5 each. Write a formula for R(p) involving the constant *B*. Assume the domain of *R* is  $1 \le p \le 25$ .