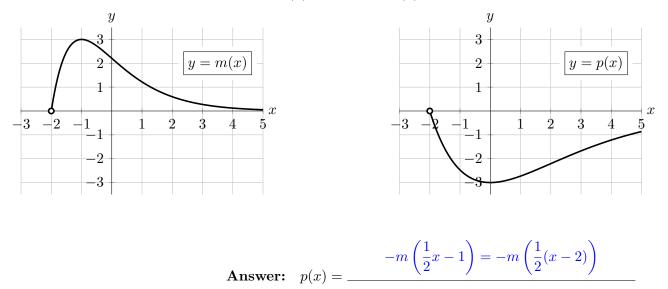
6. [4 points] Shown below at left is a portion of the graph of a function m(x). Shown below at right is a portion of the graph of a function p(x), which can be obtained from m(x) through one or more graph transformations. Find a formula for p(x) in terms of m(x).



7. [9 points] For a constant c, let

$$K(x) = \frac{2^{cx}}{e^{x-c}}$$

a. [5 points] Use the limit definition of the derivative to write an explicit expression for K'(3). Your answer may include the constant c but should not involve the letter K. Do not attempt to evaluate or simplify the limit. Write your final answer in the answer box provided below.

Answer:
$$K'(3) = \lim_{h \to 0} \frac{\frac{2^{c(3+h)}}{e^{(3+h)-c}} - \frac{2^{c(3)}}{e^{3-c}}}{h}$$

b. [4 points] Find the value of c so that K(1) = 5. Give your answer in **exact form** and show all your work.

Solution: We want c such that

$$\frac{2^{c(1)}}{e^{1-c}} = 5, \text{ or} \\
2^{c} = 5e^{1-c}. \\
\text{Solving, we find that } \ln(2^{c}) = \ln(5e^{1-c}) \\
\ln(2^{c}) = \ln(5) + \ln(e^{1-c}) \\
c\ln(2) = \ln(5) + 1 - c \\
c\ln(2) + c = \ln(5) + 1 \\
c(\ln(2) + 1) = \ln(5) + 1 \\
c = \frac{\ln(5) + 1}{\ln(2) + 1}. \\
\text{Answer:} \quad c = \frac{\frac{\ln(5) + 1}{\ln(2) + 1}}{\frac{\ln(5) + 1}{\ln(2) + 1}}$$