- 7. [10 points] Note that the situations described in parts **a**. and **b**. on this page are not related to each other.
 - **a**. [6 points] A dose of a total of 1.2 milliliters of a drug is injected into a patient steadily for 0.3 seconds. At the end of this time, the quantity of the drug in the body starts to decay exponentially, decreasing by 0.18 percent per second. Let Q(t) be the quantity of the drug in the body, in milliliters, t seconds after the injection begins. The function Q(t) can be described using a piecewise-defined formula, as shown below. Use the description above to fill in the four answer blanks provided below with

appropriate formulas and bounds so that the function Q(t) is continuous for all t > 0.

Answer:
$$Q(t) = \begin{cases} ------ & \text{if } 0 < t \leq ----- \\ & ------ & \text{if } ------ < t. \end{cases}$$

b. [4 points] Suppose that someone studying parking habits at U-M during the 2015-16 school year makes the following statement:

"During this school year, the number of cars that arrive on campus before 8 am has increased by 25% every thirty days."

Let C(d) be the number of cars that arrive on campus before 8 am on the *d*th day of the school year. Which of the formulas below model the situation described in the quote above, where *K* is some positive constant? (Circle <u>all</u> correct answers. Or circle NONE OF THESE.)

$C(d) = K(0.25)^{d/30}$	$C(d) = K(1.25/30)^d$	$C(d) = K + (0.25/30)^d$
$C(d) = K(1.25)^{d/30}$	$C(d) = K(0.8)^{-d/30}$	$C(d) = K + (1.25/30)^d$
$C(d) = Ke^{1.25d}$	$C(d) = K(4)^{-d/30}$	C(d) = K + 0.25d
$C(d) = Ke^{0.25d}$	$C(d) = K d^{1.25}$	C(d) = K + 0.25d/30
$C(d) = Ke^{\ln(1.25)d/30}$	$C(d) = Kd^{0.25}$	$C(d) = 1.25\sin(\frac{\pi d}{15}) + K$
$C(d) = K e^{\ln(0.25)d/30}$	$C(d) = K + (0.25)^{d/30}$	$C(d) = 1.25\cos(\frac{\pi d}{15}) + K$
$C(d) = K(0.25/30)^d$	$C(d) = K + (1.25)^{d/30}$	NONE OF THESE