4. (12 points) Ellen and Renzo ran the Detroit marathon last weekend. The distance Ellen traveled (in meters) is given by $E(t)$ where $t$ is time measured in seconds since the start of the race. Similarly, the distance in meters Renzo traveled is given by the function $R(t)$. For $x$ measured in meters let $F(x)=R\left(E^{-1}(x)\right)$. Assume that Ellen moves forward throughout the race-she does not even take a rest!
(a) What is the practical interpretation of $F(50)$.
(b) After the initial blast of speed from her start, Ellen ran at a constant rate of 5 meters per second for $2<t<10$, and she had run a distance of 39 meters after 7 seconds. Renzo wore a device that tracked the distance he had run at one second intervals. The data he collected is summarized in the table below.

| $t$ | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $R(t)$ | 0 | 10 | 16 | 22 | 28 | 34 | 40 | 46 | 52 | 58 | 64 |

Use any of the information above to approximate $F^{\prime}(39)$.
(c) Give a practical interpretation of $F^{\prime}(39)$.

