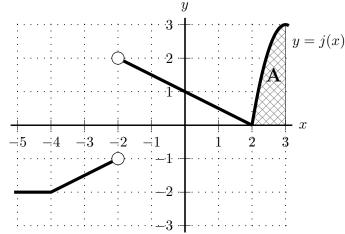
**7.** [10 points] The graph of a function j(x) is shown below. The shaded region A has area 2.



On the axes provided below, sketch a well-labeled graph of an antiderivative of J(x) of j(x) that is defined and continuous on the interval  $-5 \le x \le 3$  and that satisfies J(0) = 1. Be sure that you pay close attention to each of the following:

• the value of J(x) at each of its critical • where J is/is not differentiable points and inflection points • where J is increasing/decreasing/constant (Be sure to also write this data in the answer blanks at the bottom of the page.) • the concavity of the graph of y = J(x).3 y = J(x) $\cdot 2$ ·1 x2 2 : 4 3 -1 -2 -3

-5

On the answer blanks below, write both the x- and y-coordinates of all critical points and all inflection points of J(x). Write NONE if J(x) has no such points.

Both coordinates of all critical points:	(-2, -2), (2, 2)	
1		

Both coordinates of all inflection points: \_

(-2, -2), (2, 2)