9. (14 pts) In springtime, as a nameless old tree quietly builds its leaves and branches by drawing matter out of the air and earth, an unnamed old botanist measures the process with care:
Rate of new growth ( $\mathrm{kg} /$ day)

(a) $(2 \mathrm{pts})$ Estimate $\int_{0}^{4} g(t) d t$.
$\operatorname{TRAP}(4)=1\left(\frac{1}{2} g(0)+g(1)+g(2)+g(3)+\frac{1}{2} g(4)\right)=\frac{1}{2}(2)+0+0+.8+\frac{1}{2}(.8)=2.2$.
(b) (4 pts) Explain what your answer to part (a) tells you about the tree.

The tree grew about 2.2 kg in the four days between time 0 and time 4 .
(c) $(6 \mathrm{pts})$ Sketch a possible graph of the mass of the tree as a function of time during this particular season. Label your graph carefully.


Here $M_{0}$ is the initial mass of the tree.
(d) (2 pts) What can you say about the derivative of the function you sketched in part (c)? The derivative of $G(t)$ is $g(t)$.

